

Fr. Agnel School

Waliv, Vasai (E)

1st Unit Test Exam

Std. : 10th

Sub : Mathematics -II

Total Marks : 20

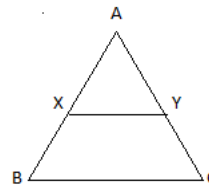
Q I. A. Choose the correct alternative answer for each of the following sub questions. (2)

i) In a right-angled triangle, if sum of the squares of the sides making right angle is 169 then what is the length of the hypotenuse?

- A) 15 B) 13 C) 5 D) 12

ii) In the figure alongside seg XY || seg BC, then which of the following statement is true?

- A) $\frac{AX}{XB} = \frac{AY}{AC}$ B) $\frac{AX}{XB} = \frac{AY}{YC}$ C) $\frac{AX}{YC} = \frac{AY}{XB}$ D) $\frac{AB}{YC} = \frac{AC}{XB}$



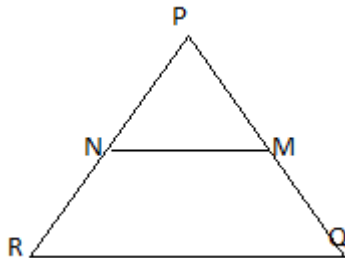
Q. I B. Solve (2)

i) $\Delta ABC \sim \Delta PQR$ and $AB:PQ = 2:3$. Find $A(\Delta ABC):A(\Delta PQR)$.

ii) Do sides 3cm, 4cm, 5cm form a right angled triangle?

Q. II A. Complete the following activity any 1 (2)

i) In ΔPQR , side $NM \parallel$ side RQ , If $PN=12$ cm, $NR= 8$ cm, $PM= 15$ cm then find MQ .



Solution: In ΔPQR , side $NM \parallel$ side RQ

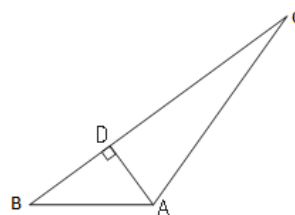
$$\therefore \frac{PN}{NR} = \frac{PM}{MQ} \dots\dots \square$$

$$\therefore \square = \frac{15}{MQ}$$

$$\therefore 12MQ = \square$$

$$\therefore MQ = \square$$

ii) In ΔABC , seg $AD \perp$ seg BC . Prove that $AB^2 + CD^2 = BD^2 + AC^2$



Solution: In ΔADC ,

$$AC^2 = \square \dots\dots \text{Pythagoras Theorem}$$

$$\therefore AD^2 = \boxed{} \dots\dots(1)$$

In $\triangle ADB$,

$$AB^2 = AD^2 + BD^2$$

$$\therefore AD^2 = \boxed{} \dots\dots(2)$$

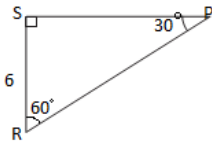
$$\therefore \boxed{} = AC^2 - CD^2 \dots\dots \text{From (1) \& (2)}$$

$$\therefore AB^2 + CD^2 = AC^2 + BD^2$$

Q. II B Solve any 2

(4)

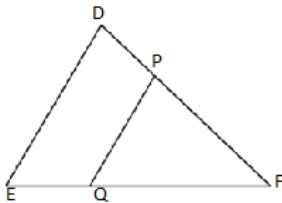
- i) Find the diagonal of a rectangle whose length is 16cm and area is 192 sq cm.
- ii) Ratios of areas of two triangles of equal height is 2:3. If base of the smaller triangle is 6cm then what is the corresponding base of the bigger triangle?
- iii) Observe the figure alongside. Find RP and PS using the information given in $\triangle PSR$.



Q. III A. Complete the following activity.

(3)

- i) In the figure alongside, seg $PQ \parallel$ seg DE , $A(\triangle PQF) = 20$ units, $PF = 2DP$, then find $A(\square DPQE)$ by completing the following activity.



Solution: $A(\triangle PQF) = 20$ units Given

$$PF = 2DP$$

$$\text{Let us assume } DP = x \therefore PF = 2x$$

$$DF = DP + PF = x + 2x = 3x$$

In $\triangle FDE$ and $\triangle FPQ$,

$$\angle FDE \cong \angle FPQ \dots\dots \text{Corresponding angles}$$

$$\angle FED \cong \boxed{} \dots\dots \text{Corresponding angles}$$

$$\therefore \triangle FDE \sim \triangle FPQ \dots\dots \boxed{}$$

$$\therefore \frac{A(\triangle FDE)}{A(\triangle FPQ)} = \boxed{} = \frac{(3x)^2}{(2x)^2} = \frac{9}{4}$$

$$A(\triangle FDE) = \frac{9}{4} A(\triangle FPQ) = \boxed{} = 45$$

$$\therefore A(\square DPQE) = \boxed{} - \boxed{}$$

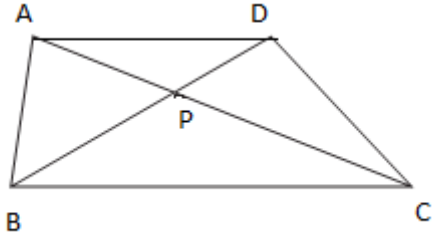
$$= 45 - 20$$

$$= 25 \text{ sq unit}$$

Q. III B. Solve any 1

(3)

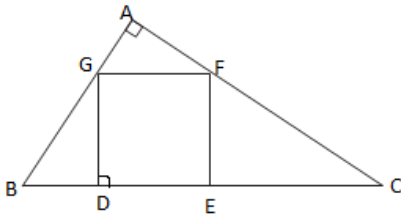
- i) Prove that in a right-angled triangle, if the altitude is drawn to the hypotenuse, then the two triangles formed are similar to the original triangle and to each other.
- ii) In $\square ABCD$, Seg $AD \parallel$ seg BC . Diagonal AC and diagonal BD intersect each other in point P . Then show that $\frac{AP}{PD} = \frac{PC}{BP}$.



Q. IV Solve any 1

(4)

- i) In the figure, the vertices of square DEFG are on the sides of $\triangle ABC$, $\angle A = 90^\circ$.
Then prove that $DE^2 = BD \times EC$.



- ii) In the figure alongside $\angle DFE = 90^\circ$, $FG \perp ED$, If $GD = 8$, $FG = 12$, find

- 1) EG 2) FD 3) EF

